

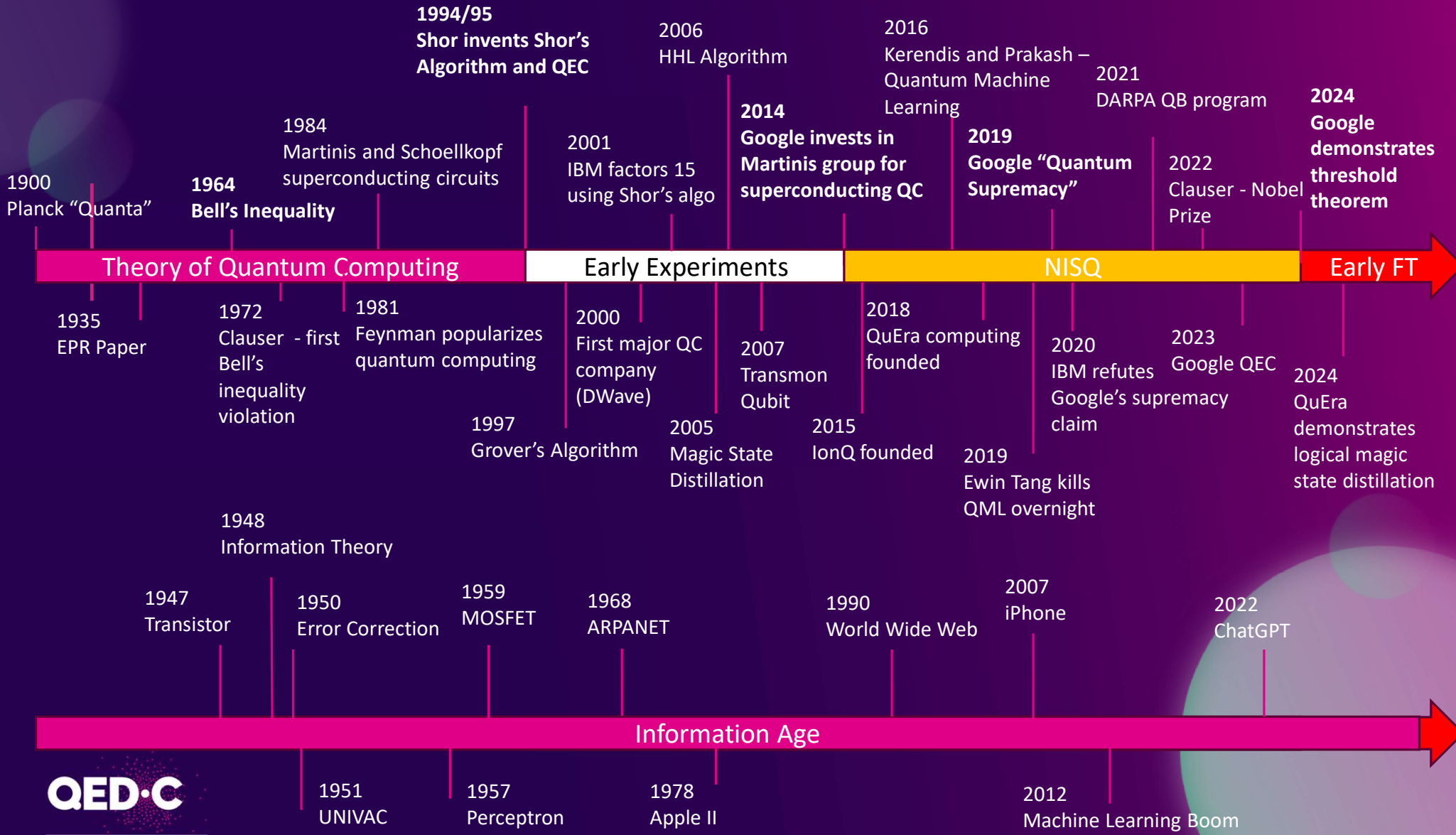
Quantum 101

Bruno Avritzer, Ph.D.

Vice-Chair, QED-C Standards and Performance Benchmarks TAC

30 June 2026

****Disclaimer:** Any opinions expressed here are my own and do not necessarily reflect the positions of Leidos or the QED-C



Quantum Analogs of Classical Things

Classical Concept	Quantum Concept	Key Difference
Bit	Qubit (Quantum Bit)	Bits are integers, qubits are vectors
Information Theory	Quantum Information Theory	Uses rules of quantum probability
Computer	Quantum Computer	Probabilistic computation with quantum probability rules
Communication Network	Quantum Network	Can exploit correlations for FTL coordination (NOT communication)
Forward Error Correction	Quantum Error Correction	Compute on encoded information without decoding
Transistor	Quantum Transistor (Logical Qubit)	Requires quantum error correction
Fiber Repeater	Quantum Repeater	Fundamental loss limit of 3dB (50%)
Sensor	Quantum Sensor	Uses entanglement to beat classical sensitivity limits

Quantum Information Theory

The Quantum Information Revolution

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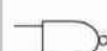




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









If you flip a coin, at the end of the day it lands on heads or tails.

Quantum Logic

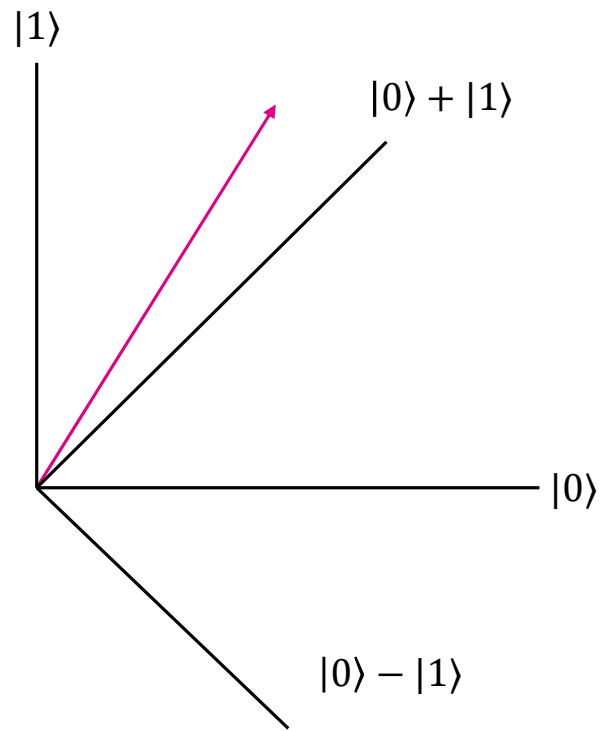
Classical

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Quantum

Operator	Gate(s)	Matrix
Pauli-X (X)	 \oplus	$\begin{bmatrix} 0 & 1 \\ 1 & 0 \end{bmatrix}$
Pauli-Y (Y)		$\begin{bmatrix} 0 & -i \\ i & 0 \end{bmatrix}$
Pauli-Z (Z)		$\begin{bmatrix} 1 & 0 \\ 0 & -1 \end{bmatrix}$
Hadamard (H)		$\frac{1}{\sqrt{2}} \begin{bmatrix} 1 & 1 \\ 1 & -1 \end{bmatrix}$
Phase (S, P)		$\begin{bmatrix} 1 & 0 \\ 0 & i \end{bmatrix}$
$\pi/8$ (T)		$\begin{bmatrix} 1 & 0 \\ 0 & e^{i\pi/4} \end{bmatrix}$
Controlled Not (CNOT, CX)		$\begin{bmatrix} 1 & 0 & 0 & 0 \\ 0 & 1 & 0 & 0 \\ 0 & 0 & 0 & 1 \\ 0 & 0 & 1 & 0 \end{bmatrix}$
Controlled Z (CZ)		$\begin{bmatrix} 1 & 0 & 0 & 0 \\ 0 & 1 & 0 & 0 \\ 0 & 0 & 1 & 0 \\ 0 & 0 & 0 & -1 \end{bmatrix}$
SWAP		$\begin{bmatrix} 1 & 0 & 0 & 0 \\ 0 & 0 & 1 & 0 \\ 0 & 1 & 0 & 0 \\ 0 & 0 & 0 & 1 \end{bmatrix}$
Toffoli (CCNOT, CCX, TOFF)		$\begin{bmatrix} 1 & 0 & 0 & 0 & 0 & 0 & 0 & 0 \\ 0 & 1 & 0 & 0 & 0 & 0 & 0 & 0 \\ 0 & 0 & 1 & 0 & 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 1 & 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 & 1 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 & 0 & 1 & 0 & 0 \\ 0 & 0 & 0 & 0 & 0 & 0 & 1 & 0 \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 1 \end{bmatrix}$

Quantum Logic



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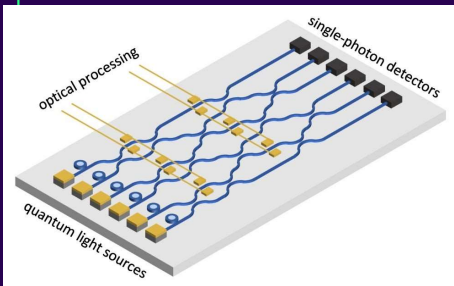


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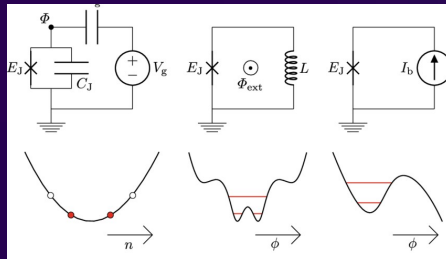


Types of Quantum Processors

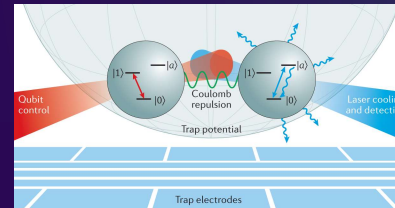
Photonic



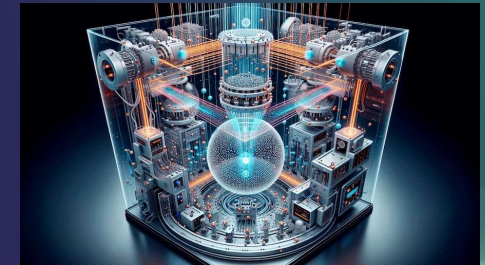
Superconducting



Trapped Ion



Neutral Atom



- Medium speed
- Ok lifetime
- Terrible CNOT efficiency
- Scales well on paper

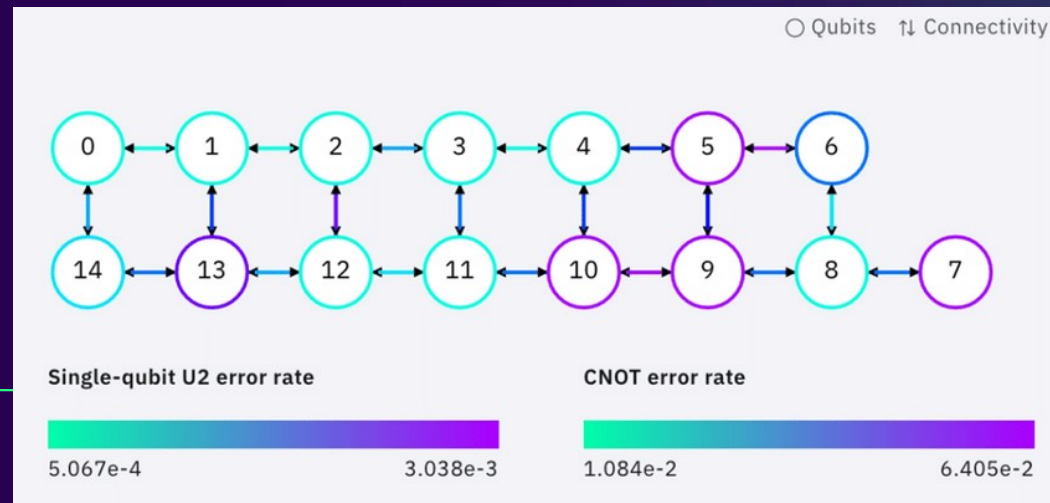
- Fastest
- Poor lifetime
- Most mature today
- Poor scaling

- Slow
- Best lifetime
- Scale with networking

- Medium speed
- Good lifetime
- Scales very well up to tens of thousands of qubits

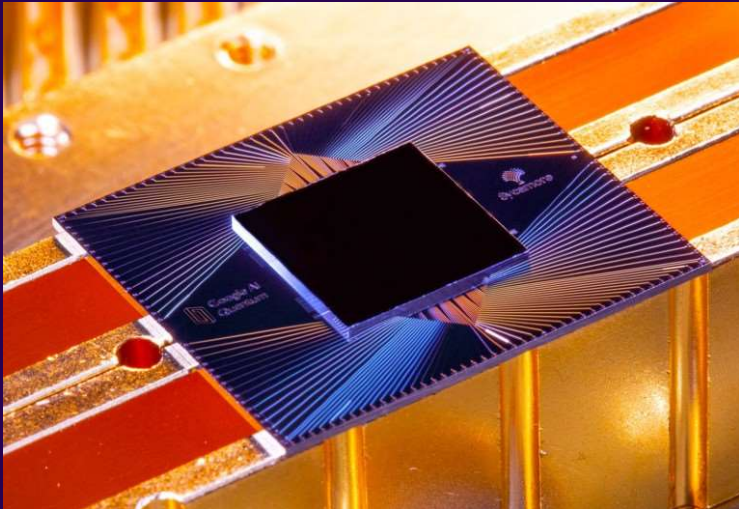
The NISQ Era

- Q NISQ - Noisy Intermediate-Scale Quantum
- Q <200 qubits
- Q .1-1% gate error; transistor $1e-15$ error
- Q Noisy machines you can sample from but not control well

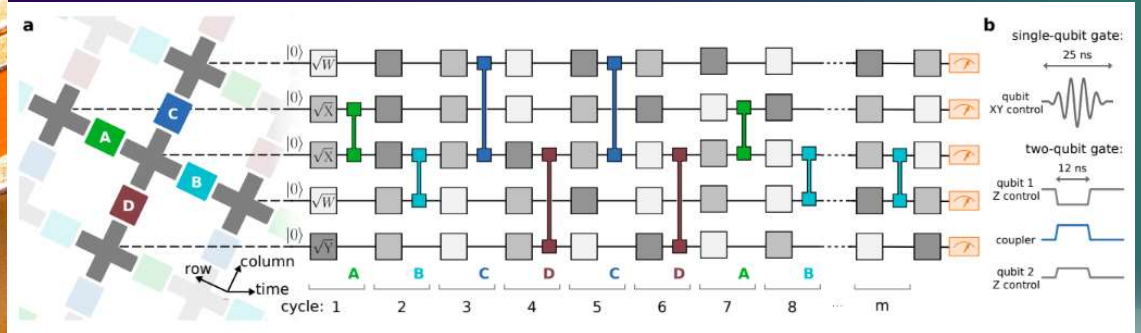


Quantum Supremacy – Google, 2019

53 Qubits, 1% gate error



Random Circuit Sampling



“It would take the world’s best supercomputer 10,000 years to run this [useless] algorithm” (later debunked)

Quantum Algorithms

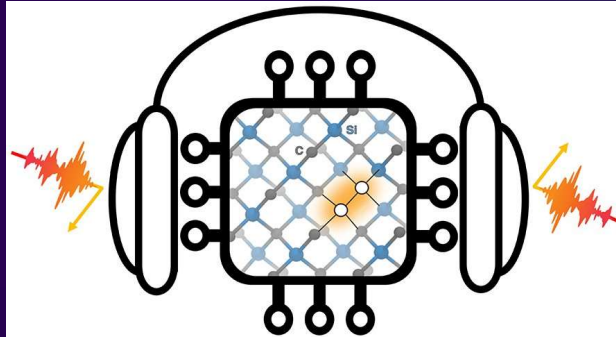
SHOR'S ALGORITHM

QUANTUM COMPUTING

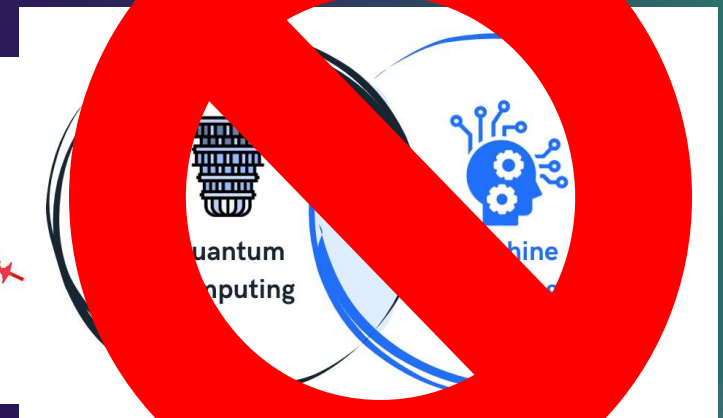


RSA

QSIM



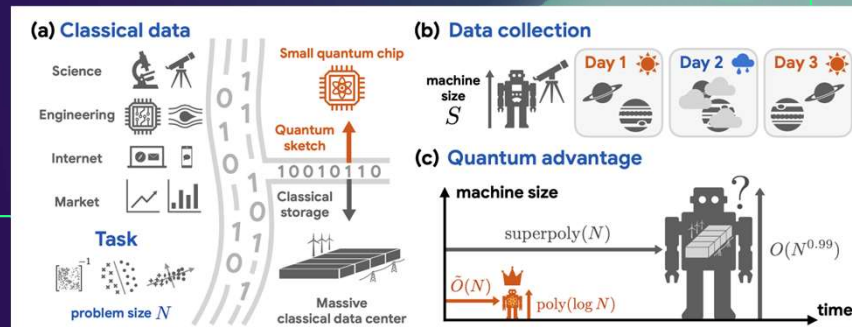
QML



Q-Day

Need error rates $\sim 10^{-10}$

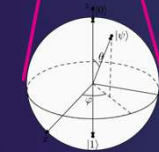
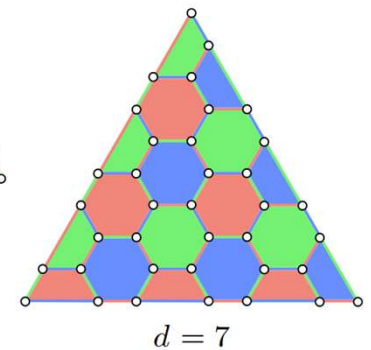
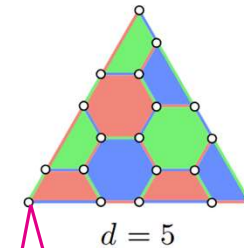
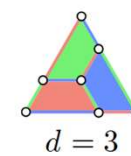
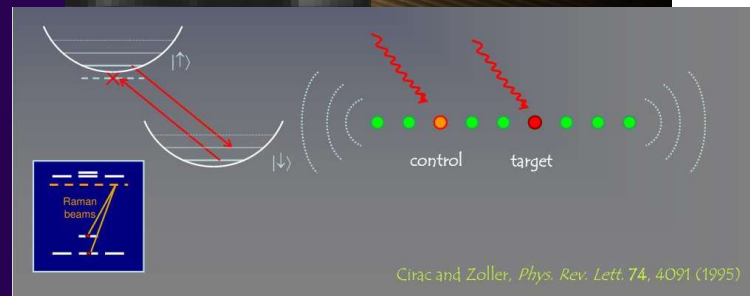
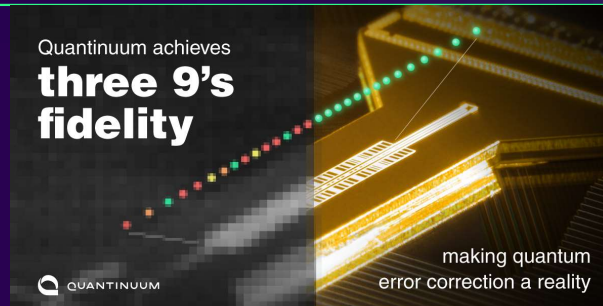
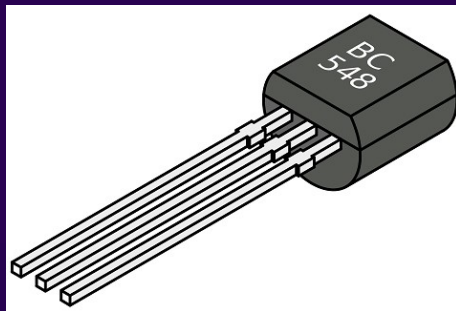
QED·C



Logical Qubits/QEC

$$p_{\text{thresh}} \sim 10^{-2}$$

$$n_{\text{qubits}} \sim d^2$$



Error Rate $\sim 10^{-15}$

Error Rate $\sim 10^{-3}$

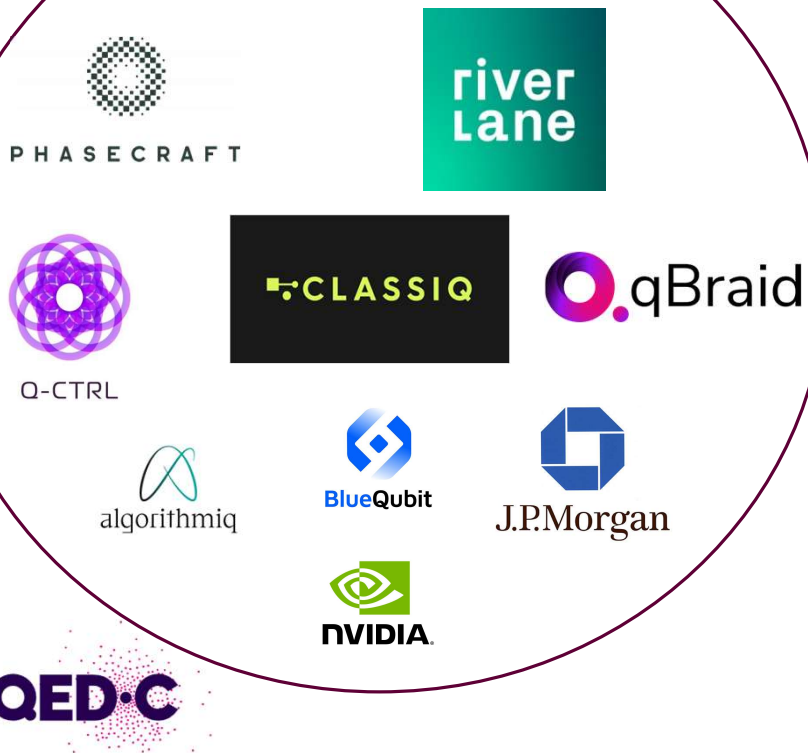
$$\text{Error Rate} \sim \left(\frac{p_{\text{err}}}{p_{\text{thresh}}} \right)^{\frac{d+1}{2}}$$

QED·C

Threshold Theorem

The Quantum Industry Today

Algorithms and Software



Hardware

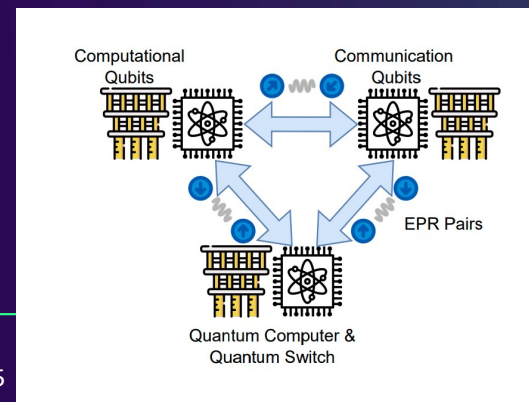


State of the Art

- 300 physical qubits
- $1e-3$ gate error rate
- Efficient magic state distillation (cultivation)
- ...not on the same platform (QuEra vs Quantinuum vs Google)
- If we could do all 3 together we could perform a 1 qubit quantum algorithm (useful quantum algorithm ~80 qubits)

Distributed Quantum Computing

- ❑ Quantum Computers are not large enough today to run full optimized, error-corrected quantum algorithms
- ❑ But, if you networked them using quantum photonics, you might have a large enough distributed quantum computer (similar to distributed classical computing workloads in a datacenter for compute-intensive problems)
- ❑ This hasn't been demonstrated at scale but is a key part of several companies' roadmaps toward quantum advantage



What is Quantum Advantage?

Previous QED-C Presentations

Building the path to quantum utility

nature
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Articles · Open Access · Published 14 September 2023

A tweezer array with 6,100 qubits

Abstract
Neutral atoms are a promising platform for quantum simulation^{1,2} and networking^{3,4} systems in a pulsed mode, continuous operation⁵ or demonstrating coherent control^{6,7,8}. We report on a tweezer array with 6,100 qubits, with long coherence times and low loss, and critical for progress in quantum science. Here we experimentally realize a 100-qubit array in a 17,000-atom

Architectural mechanisms of a universal fault-tolerant quantum computer
Abstract
Quantum error correction (QEC) is the key to building a universal quantum computer. It is a challenging task because of the need to protect quantum information from errors caused by decoherence and other quantum noise. The architecture of a quantum computer is determined by the choice of the quantum error-correcting code and the quantum gates used to implement the algorithm. The architecture of a quantum computer is determined by the choice of the quantum error-correcting code and the quantum gates used to implement the algorithm.

QuEra
HARVARD

We are in the Quantum Advantage Era



A rigorous framework for advantage

Abhinav Kandala
PRINCIPAL RESEARCH SCIENTIST, QUANTUM CAPABILITIES AND DEMONSTRATIONS
IBM

Quantum Advantage Tracker

Advantage trackers

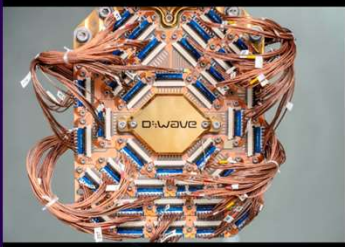
Track verifiable quantum advantage candidates across three pathways, with current status of classical and quantum computations, supporting evidence and contributing organizations.

Observable estimations

Submissions in this tracker report expectation values for observables alongside rigorous error bars. Validation requires mathematically provable confidence intervals over the reported value.

View circuit options · Open submission ticket

Quantum Milestones



Supremacy: QPU can do a task that is *not feasible* using the most powerful classical platforms

Advantage: QPU routinely outperforms reasonable classical approaches in *application-relevant* test scenarios

Utility: Customers find outcomes that improve their bottom line: increase income or reduce costs

Application Example: Quantum Machine Learning

Financial recession prediction using signature kernels with quantum features



Collaboration: Rigetti, Moody's, Imperial College London

Problem: predict likelihood of economic recession with better accuracy

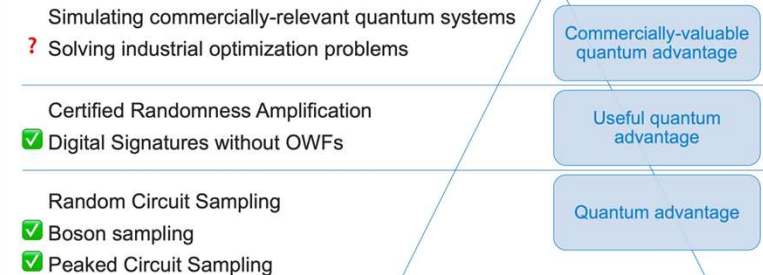
Data: monthly values for 8 independent economic variables (GDP, CPI, Yield Curve, etc.), 1 binary dependent variable - recession yes/no 12 months out

Approach: compare signature kernel with quantum feature map to traditional methods

	MODEL	SEPARATION
PROFIT	CLASSIC	77.6%
	SIGNATURE KERNEL	79.2%
SIGNATURE KERNEL	CLASSIC	88.8%
	QUANTUM FEATURES	88.8%

<https://medium.com/rigetti/quantum-enhanced-machine-learning-with-moodys-analytics-543d37df0549>

HIERARCHY OF QUANTUM ADVANTAGES

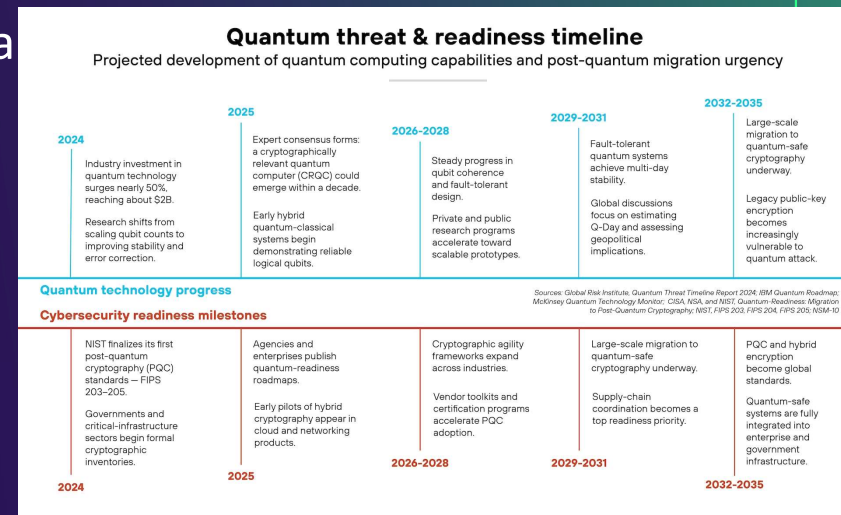


What is Quantum Advantage?

- Q Many definitions and perspectives, no consensus
- Q Central question: how will we know we have hit quantum advantage?
 - Q Option A: When we can prove it mathematically
 - Q Option B: When we can sell commercial quantum computing services
 - Q Option C: When we have a useful application where we beat the current best-known classical algorithms
 - Q Option D: When someone forges all our private keys
- Q Let's examine Option D aka Q-Day

Q-Day

- Q The “day” when quantum computers can break a large enough cryptographic primitive (e.g. RSA2048) to cause cybersecurity impact
- Q PQC Algorithms (unlike RSA) assumed safe
- Q No proof of security. Quite possible some or all PQC candidates broken by QC
- Q If/when this happens, the impact will be immediate – no quibbling over definitions, will be a transformative moment in cybersecurity
- Q What can we do about it?



Source: Palo alto networks

Algorithmic vs Physical Encryption

Encryption type	Security Properties	Overhead	Implementation	Use Cases	Attacks
Algorithmic (RSA – encryption based on difficulty of factoring a product of primes)	Strong (unconditional assuming hardness of some computational problem)	High – compute intensive	Simple, done at data layer	Almost every encryption/key exchange in the world	Quantum attacks – require a “cryptographically-relevant” quantum computer
Physical (Spread Spectrum – encryption based on spreading signals over a wide frequency band)	Medium (nothing stopping an eavesdropper from guessing the right frequencies except technical difficulty)	High – bespoke hardware overhead	Complex, requires specific hardware implementations	Military, tactical networks, RF comms	RF signal interception – difficult but possible
Quantum (Quantum Key Distribution – physical encoding with added quantum security properties)	Unconditional or very strong (entanglement-based QKD is truly unconditionally secure, other implementations may have vulnerabilities)	Very high – bespoke hardware and nonstandardized algorithm implementation	Very complex, requires highly sensitive bespoke hardware	Mostly banks or ultra-secure networks	For unentangled - physical layer eavesdropping (photon number splitting attack, detector blinding attack, etc.)

Quantum Networking Advantage

- Q Quantum Networking provides a key advantage (no pun intended) for securing cryptographic systems via Quantum Key Distribution (QKD):
 - Q Some people will say keys are unconditionally secure by no-cloning theorem. Don't believe this without examination!!
 - Q There are hundreds of side-channel attacks such as imperfect quantum cloning, photon number splitting, etc.
 - Q You can (with great difficulty) write a security proof for a specific implementation of a QKD system
 - Q Keys generated by entangled quantum systems can be proven unconditionally secure much more easily
- Q Provably secure quantum cryptography is still really difficult in practice due mainly to loss in fiber optic channels

Alternative Quantum Approaches

- Q QKD is not the only method of secure quantum comms:
- Q Quantum-secure direct communication (QSDC) – instead of generating keying material, transmit data bits directly with physical layer security provided by entanglement
- Q Quantum computational key generation – Use timing constraints and exponential quantum computing speedup to create security. Really exciting recent idea! <https://arxiv.org/pdf/2602.04859v1>
- Q Crypto-agility is very important!

Issues with Quantum Secure Comms



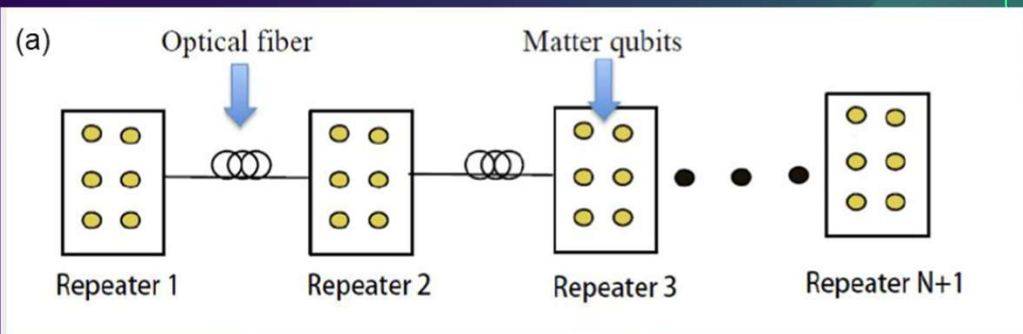
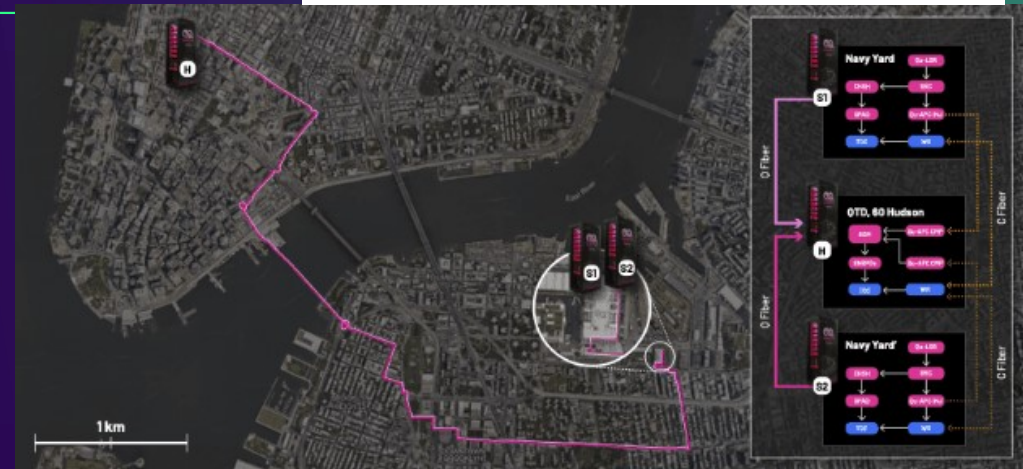
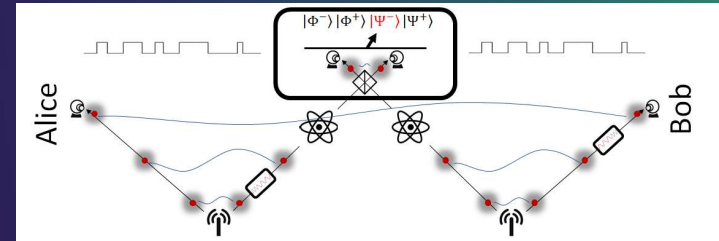
Quantum key distribution and quantum cryptography vendors and the media occasionally state bold claims based on theory – e.g., that this technology offers “guaranteed” security based on the laws of physics. Communications needs and security requirements physically conflict in the use of QKD/QC, and the engineering required to balance these fundamental issues has extremely low tolerance for error. Thus, security of QKD and QC is highly implementation-dependent rather than assured by laws of physics. Although we refer to QKD only to simplify discussion below, similar statements can be made for QC.

Technical limitations

1. **Quantum key distribution is only a partial solution.** QKD generates keying material for an encryption algorithm that provides confidentiality. Such keying material could also be used in symmetric key cryptographic algorithms to provide integrity and authentication if one has the cryptographic assurance that the original QKD transmission comes from the desired entity (i.e. entity source authentication). QKD does not provide a means to authenticate the QKD transmission source. Therefore, source authentication requires the use of asymmetric cryptography or preplaced keys to provide that authentication. Moreover, the confidentiality services QKD offers can be provided by quantum-resistant cryptography, which is typically less expensive with a better understood risk profile.
2. **Quantum key distribution requires special purpose equipment.** QKD is based on physical properties, and its security derives from unique physical layer communications. This requires users to lease dedicated fiber connections or physically manage free-space transmitters. It cannot be implemented in software or as a service on a network, and cannot be easily integrated into existing network equipment. Since QKD is hardware-based it also lacks flexibility for upgrades or security patches.
3. **Quantum key distribution increases infrastructure costs and insider threat risks.** QKD networks frequently necessitate the use of trusted relays, entailing additional cost for secure facilities and additional security risk from insider threats. This eliminates many use cases from consideration.
4. **Securing and validating quantum key distribution is a significant challenge.** The actual security provided by a QKD system is not the theoretical unconditional security from the laws of physics (as modeled and often suggested), but rather the more limited security that can be achieved by hardware and engineering designs. The tolerance for error in cryptographic security, however, is many orders of magnitude smaller than in most physical engineering scenarios making it very difficult to validate. The specific hardware used to perform QKD can introduce vulnerabilities, resulting in several well-publicized attacks on commercial QKD systems.²
5. **Quantum key distribution increases the risk of denial of service.** The sensitivity to an eavesdropper as the theoretical basis for QKD security claims also shows that denial of service is a significant risk for QKD.

Quantum Repeaters

- Q Increase the fieldable distance of quantum communication solutions
- Q Still a fundamental loss limit of 3dB, aka 15km range
- Q Gen 1 (two-way) repeaters vs. Gen 2 (one-way) repeaters
- Q Recent exciting gen 1 experiment by Cisco and Qunnect in NYC
- Q No successful demonstrations of a gen 2 repeater to date



Quantum Space Networks

- Q Arguably the best way of getting around 3dB loss limit – go to space
- Q Free-space optical comms often more secure and less lossy than fiber optics
- Q Satellites are also a great way of generating remote entanglement via swapping in a centrally-accessible location



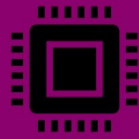
Source: AccessHub

Quantum Networking advantage is really broad!

- Q Quantum networking advantage for security (QKD, QSDC, etc.)
- Q Quantum advantage in networking quantum devices (distributed quantum computing, distributed quantum sensing)
- Q Quantum decision advantage in networking classical devices (quantum Byzantine agreement, network nonlocality)
- Q All of these advantages are not complexity-theoretic – they enable fundamentally new applications, not just faster execution of the same computational tasks

Functionality	Protocols
Anonymous Transmission	GHZ-based Quantum Anonymous Transmission Verifiable Quantum Anonymous Transmission
Authentication of Classical Messages	Unclonable Encryption Purity Testing based Quantum Authentication Polynomial Code based Quantum Authentication
Authentication of Quantum Messages	Clifford Code for Quantum Authentication Trap Code for Quantum Authentication Auth-QFT-Auth Scheme for Quantum Authentication Unitary Design Scheme for Quantum Authentication Naive approach using Quantum Teleportation
Byzantine Agreement	Fast Quantum Byzantine Agreement
Bit Commitment	Quantum Bit Commitment
Coin Flipping	Quantum Strong Coin Flipping Quantum Weak Coin Flipping
Copy Protection	Copy Protection of Compute and Compare Programs Gottesman and Chuang Quantum Digital Signature Prepare and Measure Quantum Digital Signature Measurement Device Independent Quantum Digital Signature (MDI-QDS)

What is Quantum Advantage? Take Two



- Requires entanglement
- Many modalities (superconducting, atoms, ions, photonic, etc.)
- Fundamentally based on computational complexity and efficiency**



- Advantage achievable pre-error correction
- Error correction a key part of scaling
- Mutually enabling
- Leverages quantum information via entanglement



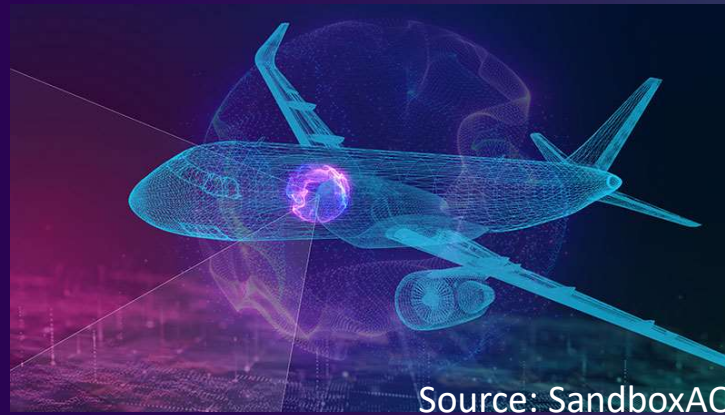
- Possible without entanglement (e.g. QKD)
- One modality (photonic)
- Enables fundamentally new applications

Quantum Sensing Advantage?

- Q Sensor performance today is largely very good
- Q It is possible to increase this performance by using atomic systems
- Q Are these quantum? Subject to debate
- Q If you use entanglement, you can get a sensing advantage that is truly “quantum”, but this hasn’t been demonstrated in an operationally useful way
- Q Competing on cost is a major challenge for quantum sensors

Example Application of Quantum Sensors

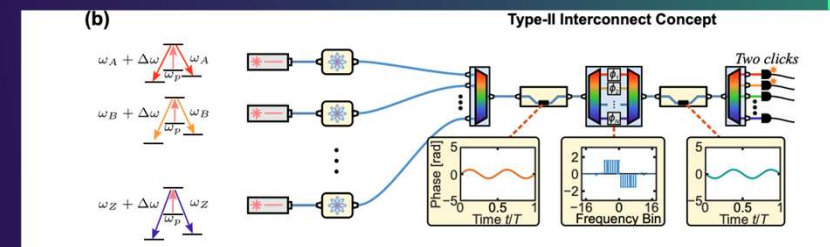
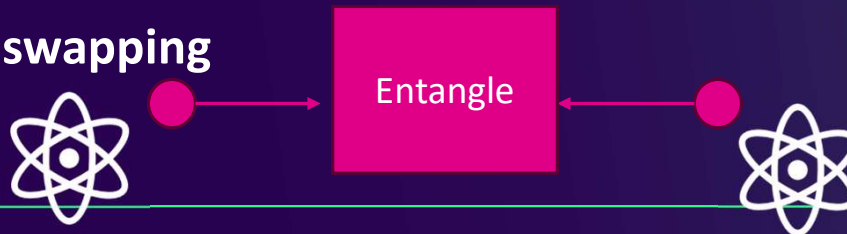
- Q Magnetic Navigation (Magnav) – in GPS-denied environments, the sensitivity of quantum magnetic field sensors ($100\text{fT}/\sqrt{\text{Hz}}$) can be used to navigate using Earth's magnetic field as a reference
- Q Need very good maps of Earth's magnetic field, first demo in 2004
- Q Do not need entanglement



What about entangled sensing?

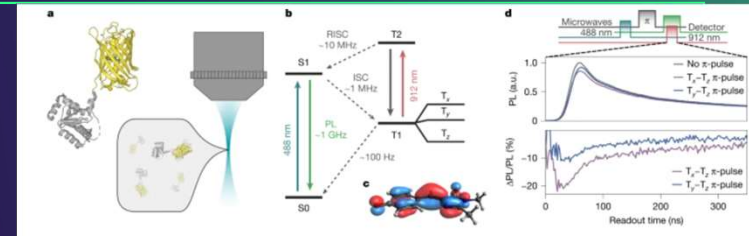
- Q: How do we entangle sensors?
- A: Quantum interconnect!
- Prepare two atoms in $0+1$ states
- Atoms emit photons when they change energy. The energy of the photon is entangled with the energy of the atom
- Entangle those photons together and – like magic – the atoms themselves are entangled too!

Q Entanglement swapping

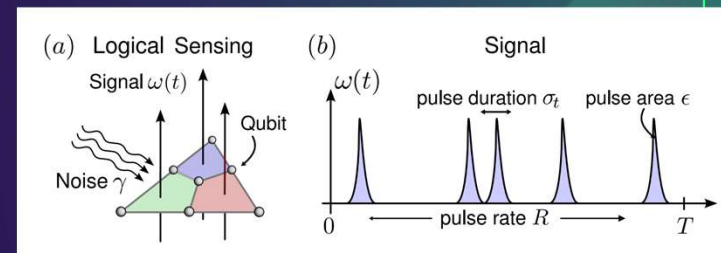


Entanglement and Sensing

- Q Entangled Quantum Sensing
 - Q Create Bell state of sensors: $|0_{S_1} 0_{S_2}\rangle + |1_{S_1} 1_{S_2}\rangle$ and measure independently
 - Q Sensitivity gap increases with the number of sensors (Fisher Information n^2 vs n)
 - Q Very far from demonstrating this with large n . Classical sensors are winning for now
- Q Error-corrected quantum sensing (large entangled error corrected state)
 - Q Could potentially provide an SNR advantage. Three key issues:
 - Q Error correction has barely been demonstrated today
 - Q A lot harder in a fielded quantum system – QCs are very isolated
 - Q Lots of no-go theorems on ECQS, but a few spaces might be possible such as “rare-event sensing”



Feder et al. 2025



Ott et al. 2026

Recap: Unanswered Questions

- Q When is a quantum communications protocol secure?
- Q What is quantum advantage?
- Q What is a logical qubit?
- Q What makes a sensor “quantum”?
- Q Need for standards and metrics around these technologies
- Q Companies may push back on standards that adversely affect their technologies, but the communication in this area is too fraught as it stands

Standards in Quantum

- Q Largely do not exist – mostly in the “definitions” stage
- Q Main technology that is standardized at this point is PQC, which has NIST standards resulting from a multiyear competition for new algorithms
- Q Not a quantum standard!!
- Q Several quantum standards making bodies: NIST, IEEE, ETSI, ISO/IEC, etc.
- Q Notably, the QED-C Standards TAC, while active in the standards and benchmarks space, is not itself a standards-making body



Standards Outlook within QED-C

- Q Standards and definitions around emerging technologies – quantum interconnects, distributed quantum computing, mid-circuit measurement, standards for quantum-hpc interfaces
- Q A lot of interest in standards and public communications surrounding quantum error correction codes (what is a logical qubit? How do we compare two implementations of a logical qubit?)

Where are standards going?

- Q I believe consensus on quantum advantage will solve a lot of these problems
- Q Once someone demonstrates a fault-tolerant quantum computation with clear quantum advantage, that will de facto set a standard for both quantum advantage and logical qubits
- Q Once Shor's algorithm can be executed (or PQC falls), quantum communication standards will naturally arise
- Q I don't think we will ever agree on what a quantum sensor is, we will just have sensors that are marketed as quantum – but may be wrong if entanglement-enhanced sensing ever makes it to market

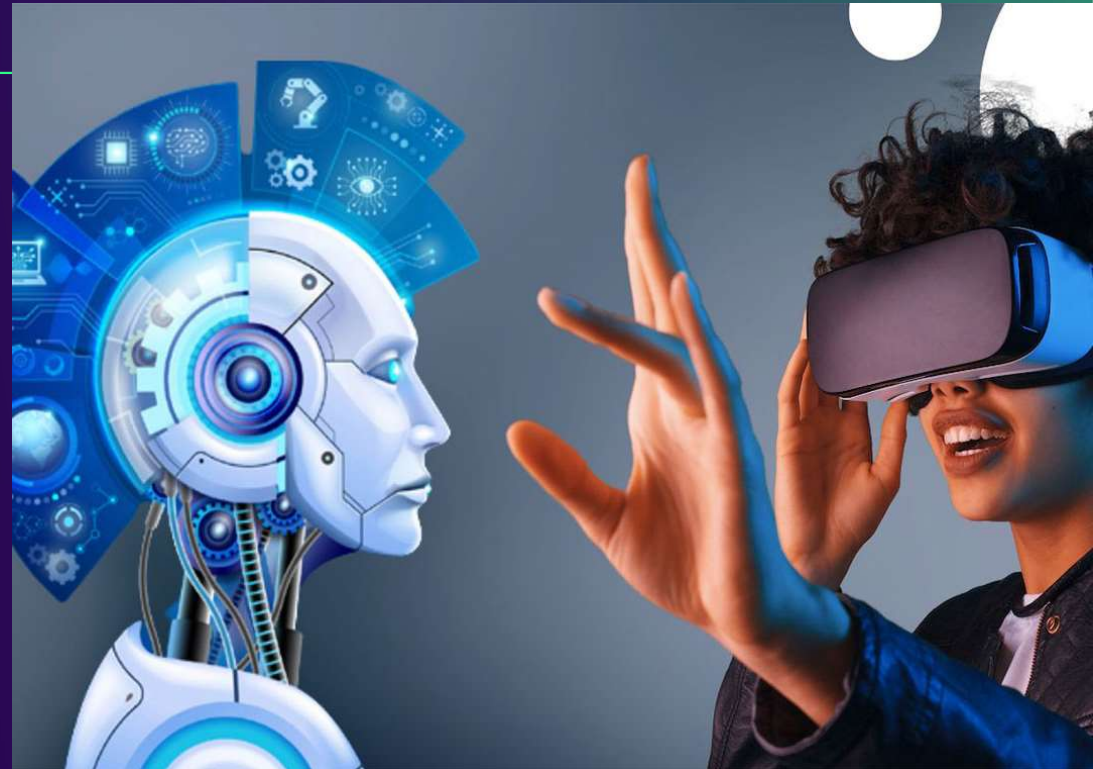
Questions not on the radar yet

Quantum follows classical trends

- Q Information Theory -> Quantum Information Theory
- Q Bit -> Quantum Bit
- Q Transistor -> Quantum Transistor (logical qubit)
- Q Computer -> Quantum Computer
- Q Distributed network of computers -> Distributed QC
- Q Machine Learning -> Quantum Machine Learning
- Q Quantum must break free of this trend with something unique!

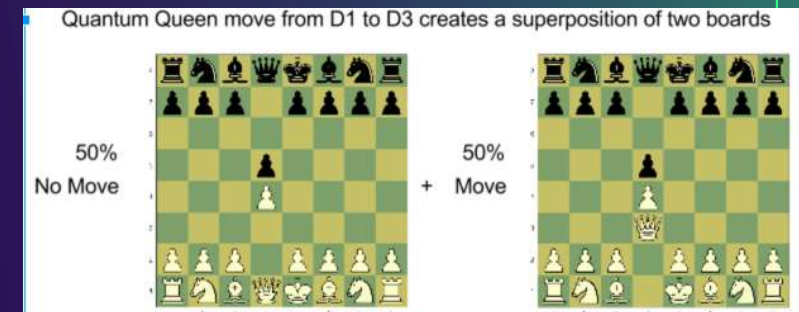
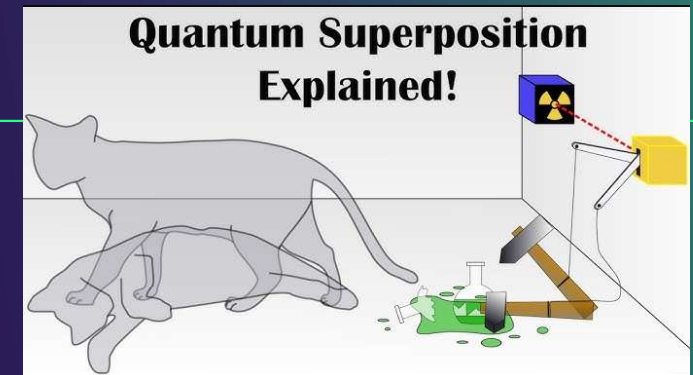
The Next Trend: HCI

- To date, technology progress has been driven by fulfilling natural human functions more easily (Uber, Doordash, Cashapp)
- As AI becomes a bigger part of how we live our lives, we will integrate with it more tightly and start to reimagine our relationship with the digital world



Quantum HCI

- I believe that in 50 years, we will do many tasks in the digital world, and the way we think about these tasks will be quantum
- Starting point is natively probabilistic reasoning, then moving to quantum probabilistic reasoning
- More research needs to be done – what does a quantum-centric HCI look like?
- Check out quantum chess online



Thank you for listening!